

# MONETARY POLICY INTERACTIONS: THE POLICY RATE, ASSET PURCHASES, AND OPTIMAL POLICY WITH AN INTEREST RATE PEG

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## Motivation and Research Questions

### Balance sheet policy is now standard

- Examples: QE1/2/3 and the Covid-19 monetary policy response
- Federal Reserve balance sheet expanded by \$400 billion in 2019 with *policy rate above zero* before any Covid news

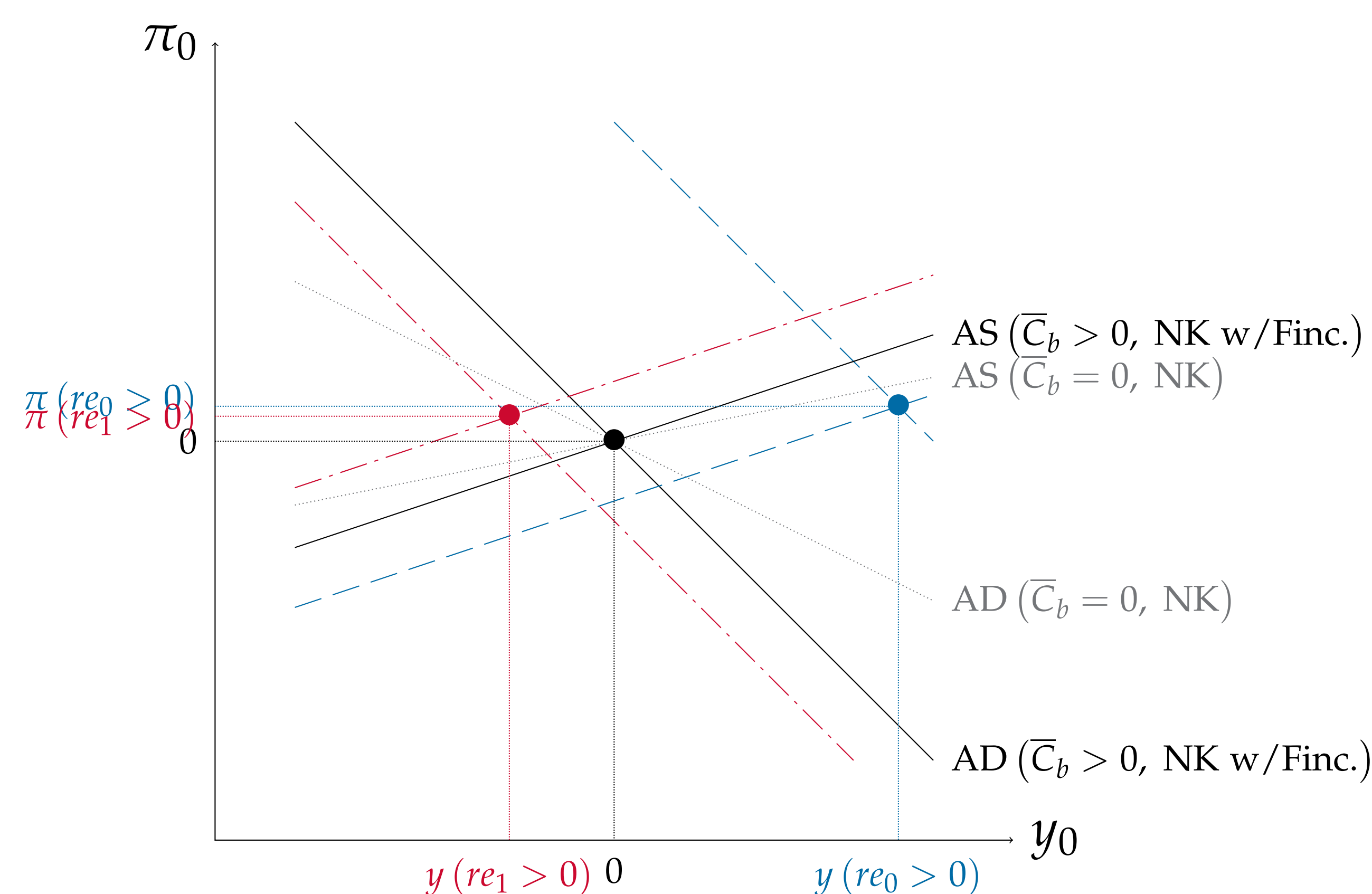
### Research questions:

- 1 What does optimal dual instrument monetary policy look like?
  - The “divine coincidence” holds with dual instrument policy
  - Acts as a simultaneous inflation, output gap, and term premium target
- 2 Can balance sheet policy sustain a policy rate peg?
  - YES! However, the welfare costs are high.
  - Four times more costly, in fact, compared to fixing the balance sheet and enacting optimal interest rate policy
- 3 How should the policy rate respond to balance sheet expansion?

### Matters for: Monetary policy design and transmission; emphasis on the policy rate lower bound and “lift-off”

## The Paper in a Nutshell

- 1 Uses theoretical model to address the above questions
  - New Keynesian model with three structural equations
  - Nominal short-term rate and balance sheet size are policy instruments
- 2 Model is simple by design for theoretical analysis
  - simplifies to an AS/AD summary of the transmission of balance sheet policy



THE VARYING EQUILIBRIUM EFFECTS OF BALANCE SHEET POLICY TIMING

## New Keynesian Model with Finance

Term premium augmented IS and Phillips Curves:

$$x_t = \mathbb{E}_t x_{t+1} - \left( r_t - \mathbb{E}_t \pi_{t+1} - \bar{C}_b \frac{\beta}{1 - \beta \kappa} \mathbb{E}_t \Delta t p_{t+1} - r_t^* \right)$$

$$\pi_t = \gamma x_t + \beta \mathbb{E}_t \pi_{t+1} + \gamma \frac{\bar{C}_b}{1 + \eta} \frac{\beta}{1 - \beta \kappa} t p_t$$

Term premium definition, linear function of:

$$t p_t = f \left( x_t, r_t^*, \pi_t, \{r_{t+j}\}_{j=0}^{\infty}, \theta_t, \theta_{t-1}, r e_t, r e_{t-1}, t p_{t-1} \right)$$

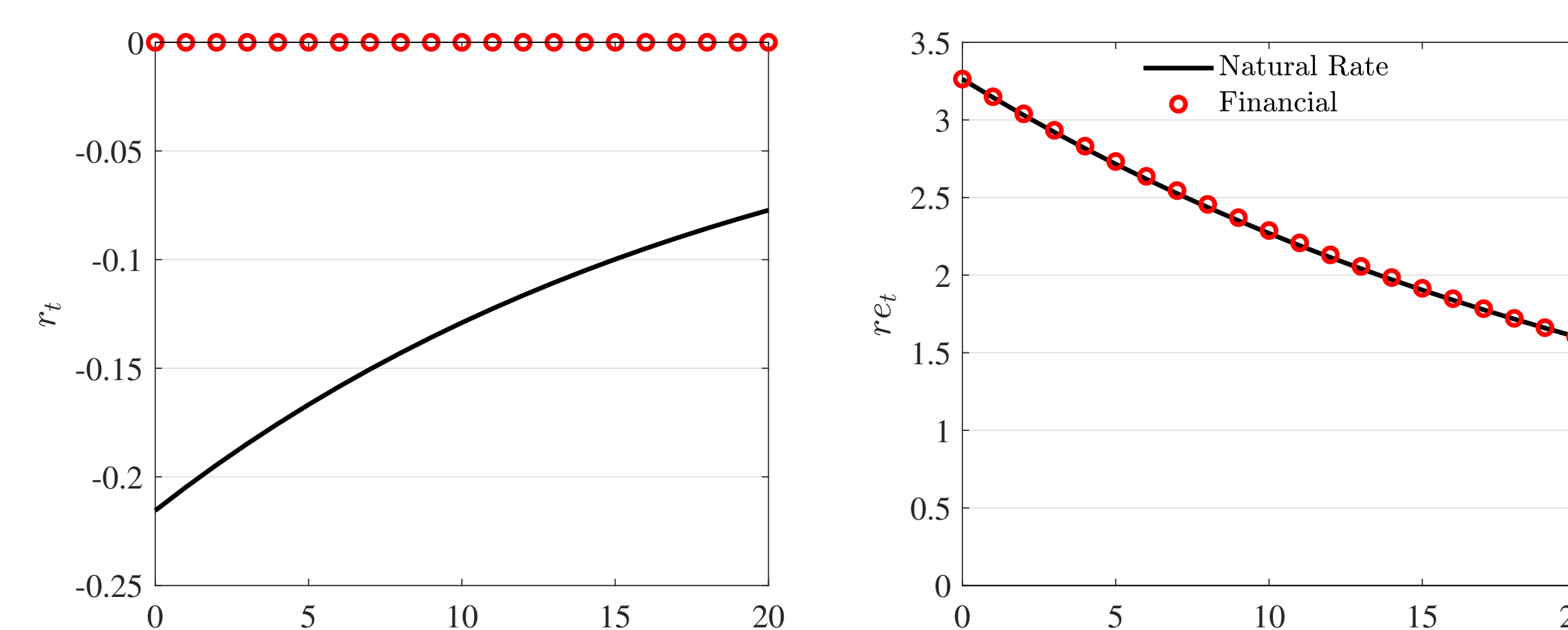
- Expectations hypothesis bond price, or forward looking path of the policy rate
- $\theta_t$ , financial capacity shock ( $\theta_t \uparrow \Rightarrow t p_t \downarrow$ )
- $r e_t$ , central bank balance sheet size ( $r e_t \uparrow \Rightarrow t p_t \downarrow$ )

## Dual Instrument Policy

**Proposition 1:** *Absent endogenous balance sheet policy, the divine coincidence fails due to term premium variability.*

**Proposition 2:** *There exists endogenous balance sheet policy that stabilizes the output gap, inflation, and the term premium, the equivalent of divine coincidence in this economy.*

**Corollary:** *The policy rate equals the natural rate when balance sheet policy supports term premium stabilization.*



THE EFFECTS OF SHOCKS WITH OPTIMAL DUAL INSTRUMENT POLICY

## Endogenous Balance Sheet Policy

Consider the model with short-term debt,  $\kappa = 0$ , and balance sheet policy given by:

$$r e_t = \frac{1}{\bar{b}^{cb}} (v_x x_t + v_{tp} t p_t)$$

**Proposition 3:** *The necessary and sufficient condition for a rational expectations equilibrium to be unique under a policy rate peg when debt is short-term and balance sheet policy responds to output gap and term premium fluctuations is that:*

$$\frac{1 + v_{tp}}{\bar{C}_b} < v_x < \frac{(1 + v_{tp})(1 + \eta)}{\bar{C}_b} - \eta$$

## Welfare Comparisons across Monetary Policies

Measure	Monetary Policy Specification			
	(I)	(II)	(III)	(IV)
$\lambda_i - \lambda_{\text{Fixed Wedges}}$	0.00%	0.17%	0.76%	0.26%
Fixed Balance Sheet		•		
Interest Rate Peg			•	

where  $\lambda_i$  is the argument satisfying:

$$W_i^s = W(\lambda_i) = \frac{1}{1 - \beta} \left[ \ln \{ (1 - \lambda_0) C \} + \psi_b \ln C_b - \psi \frac{N^{1+\eta}}{1 + \eta} \right]$$

“Fixed wedges” refers to dual instrument policy following:

$$t p_t = \pi_t = 0$$

The final column considers inflation targeting interest rate policy with balance sheet policy following Sims et al. (2021):

$$r e_t = - \frac{1 - \bar{b}^{cb}}{\bar{b}^{cb}} \theta_t$$

## Contact Information

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